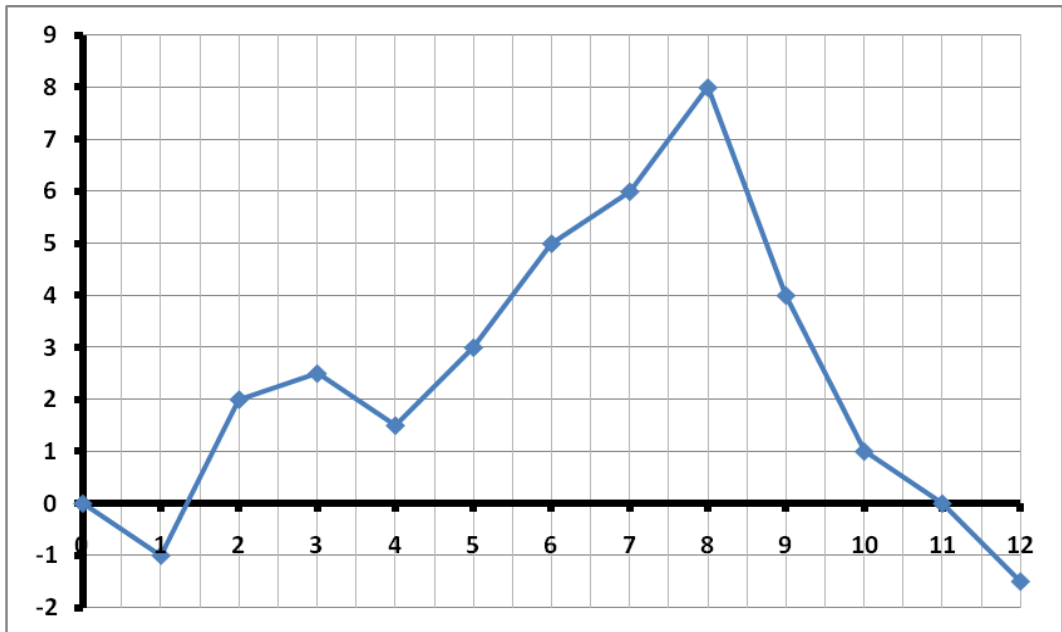


Please show all work in the space provided for credit.

1. The graph below represents the graph of a function  $P(t)$  where  $t$  is the number of years past 1997 and  $P(t)$  is the profit of a small home business. The units on the y-axis are in thousands of dollars. Note that the "x-axis" is labeled underneath.



a.) Find  $P(6)$ . \_\_\_\_\_ (This should correspond to a POINT on the graph.)

b.) Now interpret this point. This means that the profit for this business was

\$ \_\_\_\_\_ in the year \_\_\_\_\_.

c.) Find  $P(12)$ . \_\_\_\_\_ (This should correspond to a POINT on the graph.)

d.) Now interpret this point. This means that the profit for this business was

\$ \_\_\_\_\_ in the year \_\_\_\_\_.

e.) State the intervals of  $t$  where the graph is increasing. \_\_\_\_\_

f.) Now interpret these intervals.

State the time frames (using the years) where the profit was increasing.

\_\_\_\_\_

Describe the time frames (using the years) where the profit was decreasing.

\_\_\_\_\_

g.) State (or approximate) the coordinates of the x-intercept(s). \_\_\_\_\_

h.) The x-intercepts represent when the business has a profit of \$ \_\_\_\_\_

i.) State the domain, using interval notation. \_\_\_\_\_

#1 continued.

j.) State the range, using interval notation. \_\_\_\_\_

k.) The maximum profit was \$ \_\_\_\_\_ in the year \_\_\_\_\_.

l.) The worst year for this company in terms of profit was \_\_\_\_\_ when they had a profit of \$ \_\_\_\_\_.

2.) The function  $f(x) = 27x^{\frac{1}{3}}$  models the number of plant species,  $f(x)$ , on an island in terms of the area,  $x$ , in square miles. What is the area of an island that has 54 species of plants? Show work.

3.) A stone is dropped into a liquid forming circles which increase in radius with time according to the formula  $r(t) = 4t$ . The area of a circle related to radius is  $A(r) = \pi r^2$ . Using composition of functions, find an equation that would give area as a function of time.

4.) For  $f(x) = 3x^2 + 5$  and  $g(x) = 7x - 2$ ,

a. Verify:  $g(x + 2) \neq g(x) + g(2)$ . (The work should be different for each side of the equation.)

b. Find  $(f - g)(x)$ .

c. Using the resulting function in (b), show that  $(f - g)(2) = f(2) - g(2)$ .  
(The work should be different for each side of the equation.)

d. Is  $(fg)(0) = \left(\frac{f}{g}\right)(0)$ ? Explain.

e. Find  $\frac{f(x+h) - f(x)}{h}$ ,  $h \neq 0$ . Show work.

5. The graph of a function  $g(x)$  is shown below on a grid.

a.) Fill in the key points for  $g(x)$  in the table below.

x					
$g(x)$					

b.) The function  $h(x) = -g(x-5) + 4$  involves three transformations on  $g(x)$ . List the transformations that will be done - in order.

1.) \_\_\_\_\_

2.) \_\_\_\_\_

3.) \_\_\_\_\_

c.) Fill in the table of transformed values for the new graph

x					
$h(x)$					

d.) Graph  $h(x)$  on the grid below

